Inference at $*$ 1 0
of proof for Lemma assert_of_le_int:

1. $x : \mathbb{Z}$
2. $y : \mathbb{Z}$
$\vdash (\uparrow(\neg_b y <\text{z } x)) \iff (\neg(y < x))$
by PERMUTE{1:n, 2:n, 3:n, 3:n, 4:n, 5:n, 6:n}

1: . . . . .wf. . . . . NILNIL

$\vdash (\uparrow(\neg_b y <\text{z } x)) \in \mathbb{P}_1$
2: . . . . .wf. . . . . NILNIL

$\vdash (\neg(\uparrow y <\text{z } x)) \in \mathbb{P}_1$
3: . . . . .wf. . . . . NILNIL

$\vdash (\neg(y < x)) \in \mathbb{P}_1$
4: . . . . .wf. . . . . NILNIL

$\vdash y <\text{z } x \in \mathbb{B}$
5: . . . . .wf. . . . . NILNIL

$\vdash (\neg(y < x)) = (\neg(y < x))$
6:

$\vdash (\neg(\uparrow y <\text{z } x)) \iff (\neg(y < x))$
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http://www.nuprl.org/FDLcontent/p0_942988_/p121_88284_{assert_of_le_int}1_0.html